

# Writing Function Rules KEY

Functions can be represented as tables, graphs, equations, physical models, or in words.

**Example 1:** Tim's salary as a lifeguard depends on the number of hours he works. If he is paid \$9.00 an hour, what is his salary for 3 hours? 12 hours? 22 hours?

Is his salary a function of the number of hours he works? Explain. yes because the amt he is paid in total depends on the # hours he works

If possible, write the rule. Then, create a table of values.

Words: salary = (\$9/hr)(# hours)

Equation:  $f(x) = 9x$

Input	Rule	Output
3	$9(3)$	27
12	$9(12)$	108
22	$9(22)$	198

**Example 2:** The distance that Missy rides her bike depends on the number of minutes that she spends riding her bike. If she rides her bike at a constant rate of 0.15 miles per minute, what distance does Missy ride her bike in 15 minutes? 30 minutes? 1 hour?

Is the distance she rides her bike a function of the number of minutes she bikes? Explain. yes  
her distance depends on # min she's been riding

If possible, write the rule. Then, create a table of values.

Words: distance = (0.15mi/min)(# min)

Equation:  $D = 0.15m$

$1 \text{ hr} =$

Input	Rule	Output
15	$0.15(15)$	2.25 mi
30	$0.15(30)$	4.5 mi
60	$0.15(60)$	9 mi

min

**Example 3:** Is the cost a function of the number of donuts? Explain. yes. overall cost depends

Input (number of donuts)	1	2	3	4	5
Output (cost of the donuts)	\$1.25	\$2.50	\$3.75	\$5.00	\$6.25

If possible, write the rule.

Words: COST of donuts = (\$1.25/donut)(# donuts)

Equation:  $C = 1.25d$

**Example 4:** In the absence of predators, the number of deer in a forest increases over time. Is the number of deer a function of the number of years? Explain

yes - each year the # of deer increases by  $\frac{4}{3}$  times the previous year.

Input (year)	Output (# of deer)
1	27
2	36
3	48
4	64

$\times \frac{4}{3}$   
 $\times \frac{4}{3}$   
 $\times \frac{4}{3}$

If possible, write the rule.  $\downarrow$  rate of increase

Words: # of deer =  $\frac{4}{3} \times$  # deer from previous year

Equation:  $y = 27 \left(\frac{4}{3}\right)^{n-1}$  OR  $y = 20.25 \left(\frac{4}{3}\right)^n$

**Example 5:** The width of a rectangular picture frame must be 1.5 times as long as the length. Is the Area of the frame a function of the length? Explain

yes - area depends on length  $\hat{=}$

width. width is dependent on length, therefore the area is too.

Input (length)	Output (Area)
4	24
8	96
10	150
12	216



$w = 1.5l$

$A = lw$

$A = l(1.5l)$

$A = 1.5l^2$

If possible, write the rule.

Words: area = length  $\times$  width

Equation:  $A = 1.5l^2$

**Example 6:** Is the relationship a function? Explain. If possible, write the function rule.

a.

Input	0	2	4	6	8
Output	3	13	23	33	43

$+2$   $+2$   $+2$   $+2$   
 $+10$   $+10$   $+10$   $+10$

with each increase of 2 in the input, the output increases by 10.

b.

Input	0	1	2	3	4
Output	400	320	256	204.8	163.84

$\times \frac{4}{5}$   $\times \frac{4}{5}$   $\times \frac{4}{5}$   $\times \frac{4}{5}$

as the input increases by 1, the output increases by a factor of  $\frac{4}{5}$